

INCREMENTAL ALGORITHM COMPLEXITY: $O(n^2)$

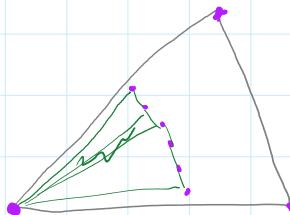
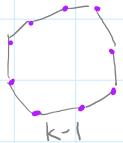
sorting n points:

$\boxed{O(n \log n)}$

runtime grows not worse than proportionally to $n \log(n)$

loop: k from 4 to n $\leftarrow O(n)$

loop: i from 1 to $k-1$ (worst case)

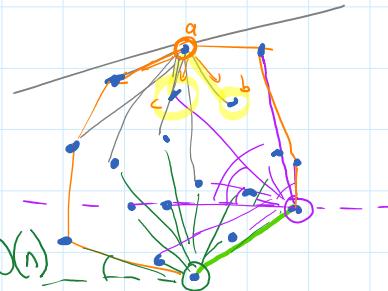


disadvantage: intermediate hulls may contain lots more points than the final hull

GIFT-WRAPPING ALGORITHM

$\text{leftOf}[a, c, b]$ returns True

(1) Start with the lowest point $\boxed{O(n)}$



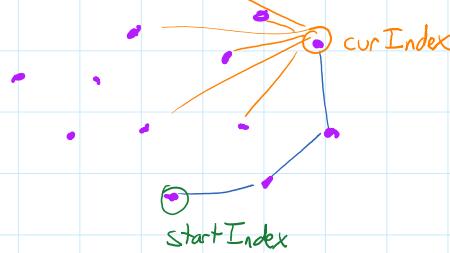
(2) Compute angles from starting point to all other points. The point with the largest angle is the next point on the hull. $\boxed{O(n)}$

$\boxed{O(n^2)}$

(3) Repeat (2), working CCW around the hull until returning to the starting point.

h times, $h = \text{number of hull vertices}$

this point should be next
nextIndex



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nextIndex = 1
for i from 2 to length(pts):
    if pts[i] is right of pts[nextIndex]:
        nextIndex = i
    
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$$\text{Complexity: } O(n) + O(nh) = O(nh)$$

Worst case: $h=n$

e.g. all points on a circle

best case: $h=3$

